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## Getting Started

Turn your Novus Financier on with the switch on the left side of the calculator. The calculator is automatically cleared and the display should now show 0. If it does not, check to see if the batteries are properly connected.

### **Battery Installation**

Your Novus Financier is powered by a 9-volt transistor battery which should give you about two months of operation with normal use. The Financier will show a decimal point on the extreme left side of the display as a low-battery indicator. Although calculations can still be made while the low-battery indicator is on. the battery should be replaced as soon as possible. Continued use on a weak battery may result in inaccurate answers. To change batteries, turn the machine over, place a small coin in the slot at the top of the battery door and gently pull toward you. The battery door will slip out. BE SURE THE CALCULATOR IS TURNED OFF BEFORE REPLACING THE BATTERY. Slip the bottom of the battery door back in place and squeezing gently on the two prongs on the door, snap it back in place.

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## AC Adaptor

You can use your Financier on regular AC current by connecting the Novus AC adaptor to the jack at the top of the machine. BE SURE YOUR CALCULATOR IS TURNED OFF BEFORE CONNECTING THE ADAPTOR.

#### Operation

Display, Overflow and Error Indication The Novus Financier will accept and display any positive or negative number between 0.0000001 and 99999999. Any result larger than 99999999 or smaller than –99999999 or any logic error (i.e. division by zero) will result in an error indicated by all zeros and all decimal points showing in the display. Touching <u>CE/C</u> will clear the error indication permittingfurther calculations.

#### Automatic Display Shutoff

To save battery life, the Novus Financier will shut off the display and show all decimal points if no key has been touched for approximately 25 seconds. No data has been changed and further entries or operations will bring back the display. To restore the display without changing its contents, touch CHS twice.

EX

CHS

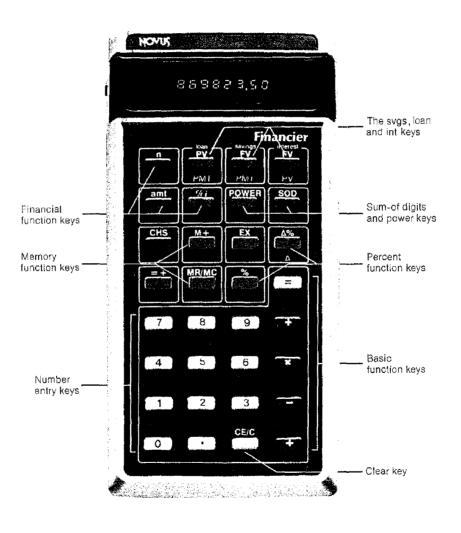
- Exchanges the number in the display with the number last in the display.
- CE/C Touched before a function key, one touch of CE/C clears the last number entry, and enables you to continue calculations; two touches of CE/C clears everything but memory. Touched after a function key, one touch of CE/C clears everything but memory.

Changes the sign of number in the display.

#### **Negative Numbers**

To enter a negative number, key in the desired number and touch CHS.

Keyboard Layout



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#### Performing Calculations

For maximum calculating flexibility, your Novus Financier uses business logic for solving problems. Addition and subtraction is performed arithmetically, which simply means you don't need to use an Equals key to get an answer. The benefit to you is the ability to add or subtract the same number repeatedly by just touching the  $\bigcirc$  or  $\bigcirc$  key. You can make instant, trouble-free corrections of entry errors, and solve many problems in fewer keystrokes. This gives you a great advantage when working with long columns of figures. Because you get credit balances automatically, and automatic roundoff at two decimal places, your Financier is ideal for dollars-and-cents calculations.

Multiplication and division problems are performed algebraically. In other words, you do the problem exactly as you'd say it. This simplifies your approach to problems involving chain calculations, percentages and more complex equations.

So your Novus Financier gives you the optimum combination of logic systems. You can tackle each type of problem in the most efficient way. You get fast and easy answers because you can apply computation power normally found only in more expensive desk-top calculators.

## Addition and Subtraction

The Novus Financier adds and subtracts the same way as the old familiar adding machine. The + key adds the last entry to whatever is already in the machine, and the - key subtracts the last entry. Example: 2 + 3 + displays 5. Touching CE/C to clear between addition problems, 7 + 3 - displays 4.

#### Repeat Add/Subtract

The Financier is in ADDITION mode whenever the last function touched is  $\bigoplus$  or  $\bigoplus$ . When the calculator is in the ADDITION mode, the last entry is set up for repeat operations.

#### Example: Add 5 + 2 + 2 + 2:

KEY IN	DISPLAY SHOWS	COMMENTS	
5	5		
$\blacksquare$	5.		
2	2		
[+-]	7.		
Ŧ	9.	Automatic repeat addition.	
+	11.	Automatic repeat addition.	
CE/C	0	Clear between addition problems.	

#### Example: Subtract 18 - 3 - 3 - 3:

KEY IN	DISPLAY SHOWS	COMMENTS
18	18	
Ŧ	18.	
3	3	
	15.	
[]	12.	Automatic repeat subtraction.
	9.	Automatic repeat subtraction.
CE/C	0	Clear between subtraction problems.

## Multiplication and Division

Multiplication and division problems are done algebraically, that is, you do the problem exactly as you'd say it.



**Constant Multiplication** 

The Financier is in CHAIN mode whenever the last function touched is X or  $\div$ . When CHAIN mode has been established with the X key, the calculator retains the first factor for constant multiplication:

Example: Multiply  $3 \times 4$ ;  $3 \times 5$  and  $3 \times (-6.21)$ :

KEY IN	DISPLAY SHOWS	COMMENTS
З	3	
$\times$	3.	Set CHAIN multiplication mode.
4	4	
	12.	
5	5	
	15.	Automatic first factor constant multiplication, constant is 3 $\times$ .
6.21 C	HS6.21	······································
=	-18.63	Automatic first factor constant multiplication, constant is 3 $ imes$ .

### IMPORTANT NOTE ABOUT YOUR CALCULATOR

#### Constant Division

When the CHAIN mode has been established with the 🔆 key, the calculator retains the second factor for constant division.

Example: Divide 12 by 6; 20 by 6 and 1.8 by 6:

KEY IN	DISPLAY SHOWS	COMMENTS
12	12	
÷	12.	Set CHAIN division mode.
6	6	
	2.	
20	20	
=	3.33	Automatic second factor con- stant division, constant is ÷ 6.
1.8	1.8	
	.3	Automatic second factor con- stant division, constant is ± 6

stant division, constant is + 6.

PROVING CONCERNING

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The tequals key) is designed to automatically round off to two decimal places. In order to see results displayed with more than two decimal places, avoid use of the equals key. Instead, use either the times key) or the (divide key) at the point in the problem where an depression would occur.

#### EXAMPLE

5.1234 10 51.234 Avoiding Using Display Display Key In Key In 5.1234 5.1234 5,1234 5.1234 X 5.1234 5.1234 10 10. 10 10. 51.234 51.23 or 👬 Ť î All digits of Rounded answer are Off Answer displayed Remember to depress period before beginning a new problem.

## Memory

<u>M+</u>	number in mem	er in the display to the ory. To subtract the num- y from memory, touch ].	
=+	Completes a CHAIN mode calculation and adds the result to memory. To subtract the result from memory, touch CHS +.		
MR/MC	One touch of <u>MR/MC</u> recalls the number in memory to the display. Two touches of <u>MR/MC</u> clears memory leaving the number that was in memory in the display for further calculations.		
Example: $(2 \times 3) +$	Calculate the sur (4 $ imes$ 5).	n of products	
KEY IN	DISPLAY SHOWS	COMMENTS	
2	2		
$\times$	2.		
3	3		
=+	6.	Result is displayed and added to memory.	
4	4	to momory.	
$\boxtimes$	4.		
5	5		
=+	20.	Result is displayed and added to memory.	
MR/MC	26.	Recall total from memory.	
MR/MC	26.	Clear memory for next example.	

Example: Bring the following invoices forward and find the grand total:

QUANTITY	DESCRIPTION	UNIT PRICE	NET PRICE
5	Item A	1.25	?
7	Item B	1.188	?
4	ltem C	.31	?

KEY IN	DISPLAY SHOWS	COMMENTS
5	5	
$\times$	5.	
1.25	1.25	
=+	6.25	Net price for item A. Total is added to memory.
7	7	audeu to memory.
$\times$	7.	
1,188	1.188	
=+	8.32	Automatic roundoff to two decimal places. Net price for
4	4	item B. Total added to memory.
$\boxtimes$	4.	
.31	.31	
=+	1.24	Net price for item C. Total is added to memory.
MR/MC	15.81	Recall grand total from memory.
MR/MC	15.81	Clear memory.

## **Expense** Proration

Example: What percent of the total expenses has each department incurred if the expenses are as follows:

	DEPARTMENT	EXPENSES	% DISTRIBUTION
	Advertising	\$305.00	?
	Training	200.00	?
	Printing	115.50	?
	Utilities	86.75	?
	Total Expenses:	?	100%
KEY IN	DISPLAY SHOWS	COMMENTS	3
CE/C	0		
305	305	Advertising e	xpense.
+	305.		
200	200	Training expe	ense.

13

$\pm$	505.		KEY IN
115.5	115.5	Printing expense.	CE/C
	620.5		5000
86.75	86,75	Utilities expense.	[+]
+	707.25	Total Expenses	585
÷	707.25		+
100	100	Calculate 100 + total expenses.	2250
EX	707.25		+
X	.14139271	Set for constant multiplication.	1575
305	305	Advertising expense.	$\pm$
=+	43.12	% distribution for advertising.	$\overline{+}$
200	200	Training expense.	550
=+	28.28	% distribution for training.	ΕX
115.5	115.5	Printing expense.	$\times$
=+	16.33	% distribution for printing.	5000
86.75	86.75	Utilities expense.	=+
=+]	12.27	% distribution for utilities.	585
MR/MC	100.	Recall memory to prove out percentages to 100%.	=+
MR/MC	100.	percentages to room.	2250

# Expense Distribution

	Example: Allocate an ac	ditional \$550	overhead
9.	to various departments based on their percentage		
	of total costs if their costs	s are as foilow	s:
	DEPARTMENT	COSTS	ADD'L OVERHEAD
÷	Calculators	\$5000.00	?
	Appliances	585,00	?
	Ladies wear	2250.00	?
	Stationery	1575.00	?
	Total costs:	?	\$550.00

KEY IN	DISPLAY SHOWS	COMMENTS
CE/C	0	
5000	5000	Costs for calculators.
$(\pm)$	5000.	
585	585	Costs for appliances.
+	5585.	
2250	2250	Costs for ladies wear.
-+-]	7835.	
1575	1 <b>57</b> 5	Costs for stationery.
+	9410.	Total costs.
<u></u>	9410.	
550	550	Additional overhead.
EX	9410.	Calculate overhead + costs.
$\times$	.05844845	Set for constant multiplication.
5000	5000	Costs for calculators.
=+	292.24	Additional overhead for calculators.
585	585	Costs for appliances.
=+	34.19	Additional overhead for appliances.
2250	2250	Costs for ladies wear.
=+	131.51	Additional overhead for ladies wear.
1575	1575	Costs for stationery.
=+	92.06	Additional overhead for stationery.
MR/M	550.	Recall memory to prove out additional overhead = \$550.
MR/M	550.	Clear memory.

## Depreciation by Declining Balance

Example: A \$10,000 truck that has a 5-year life expectancy is to be depreciated at an accelerated rate of 200% of the decining balance (double declining balance). Determine the depreciation for each year, the new book value after each year and the final value.

KEY IN	DISPLAY SHOWS	COMMENTS
10000	10000	Original book value.
MŦ	10000.	Save in memory for future use.
200	200	Depreciation percentage.
	200.	
5	5	Life expectancy of truck.
÷	40.	
100	100	Constant.
CHS	-100	
$\ge$	4	Set for constant multiplication.
MR/MC	10000	Recall original book value.
=+	-4000.	First year depreciation.
MR/MC	6000.	Book value after one year.
=+	-2400.	Second year depreciation.
MR/MC	3600.	Book value after two years.
=+	-1440.	Third year depreciation.
MR/MC	2160.	Book value after three years.
=+-	-864	Fourth year depreciation.
MR/MC	1296.	Book value after four years.
=+	-518.4	Fifth year depreciation.
MR/MC	777.6	Final book value.

## Percentage Calculations

Your Financier has a true 'live' percent key enabling you to do percentages, 'add-on' calculations and variable percentage problems.

Note: Since your Financier allows for variable percentage problems, it is advisable to clear the machine with two touches of <u>CE/C</u> between percentage problems.

Example: What is 25% of 153?

KEY IN	DISPLAY SHOWS
153	153
$\times$	153.
25	25
%	38.25

#### Add-On Calculations

**Example:** If you buy merchandise at a wholesale price of \$725 and there was a tax of 33%, how much would you pay for the merchandise?

KEY IN	DISPLAY SHOWS	COMMENTS
725	725	Wholesale price.
$\times$	725.	
33	33	
%	239.25	Amount of tax.
$\pm$	964.25	Net cost of merchandise.

Example: How much would you pay for merchandise costing \$475 if you got a 17% discount and there was 6% sales tax?

KEY IN	DISPLAY SHOWS	COMMENTS
475	475	Cost of merchandise.
$\times$	475.	
17	17	
%	80.75	Amount of discount.
$\Box$	394.25	Net before tax.
$\times$	394.25	
6	6	
%	23.66	Amount of tax.
$\left  + \right $	417.91	Net price.

Example: If you bought merchandise at a wholesale price of \$700 and wanted to add a 30% mark-up for retail, how much would you sell the merchandise for?

Using the formula:

nang n	Retail price = -	Wholesale price 100 — % mark-up
KEY IN	DISPLAY SHOWS	COMMENTS
700	700	Wholesale cost.
÷	700.	
100	100	
$\pm$	100.	
30	30	% mark-up.
$\Box$	70.	
%	1000.	Retail price.

## Variable Percentage Calculations

Example: If you have goods selling for \$3455 and give vendor A 21% off, vendor B 15% off and vendor C 17% off, how much discount are you giving each vendor and what is their net cost?

KEY IN	DISPLAY SHOWS	COMMENTS
3455	3455	Cost of goods.
$\boxtimes$	3455.	
21	21	
%	725.55	Discount to vendor A.
$\Box$	2729.45	Net to vendor A.
15	15	
%	518.25	Discount to vendor B.
$\Box$	2936.75	Net to vendor B.
17	17	
%	587.35	Discount to vendor C.
	2867.65	Net to vendor C.

£

## Power and Root Calculations

Powers are calculated by using the  $\boxed{PWR}$  key in conjunction with the  $\boxed{\times}$  key. Example:  $2^{\mathfrak{s}} = 32$ : 2  $\boxed{\times}$  5  $\boxed{PWR}$  displays 32

Roots are calculated by using the PWR key in conjunction with the  $\div$  key. Example:  $\sqrt[5]{32} = 2$ : 32  $\div$  5 PWR displays 2.

Example: What annual rate of interest must be obtained to allow a \$6500 investment to grow to \$11,000 in 9 years? Using the formula:  $FV = PV(1 + i)^n$ and solving for i:

	i == (∜FV/PV) -	- 1,
KEY IN	DISPLAY SHOWS	COMMENTS
11000	11000	Future value.
÷	11000.	
6500	6500	Present value.
÷	1.6923076	Set up to take 9th root.
9	9	Number of periods.
PWR	1.0602	
$\pm$	1.0602	
1	1	
$\Box$	.0602	Annual interest rate (6.02%).

## **Financial Calculations**

In conjunction with the following three keys, your Novus Financier will perform single-key functions most needed by professionals in business and finance

needed by	professionals in	pusiness and infance.	
AMT	To enter amoun	ts.	
n	n assumes unii	rs of periods. Touching t periods. Touching es periods $ imes$ 12 (months).	
	Touching %i a period. Touchin	tage interest per period. ssumes % interest per g CHS %ilassumes % od ÷ 12 (months).	
AMT na	and <mark>%i c</mark> an be e	entered in any sequence.	
Amount a	Ind Percentage	Change Calculations	
	change. Percent amount of chan memory. To dis	ount and percentage tage change is displayed, ge is stored in a special olay amount of change e change has been h EX.	
Example: If a house was purchased for \$49,750.00, what is the percentage and amount of change if: A) It now sells for \$56,500; B) It now sells for \$30,000?			
A)	5W 36H3 101 000,0	001	
KEY IN	DISPLAY SHOWS	COMMENTS	
56500	56500	Current value.	
AMT	56500.	Enter amount.	
49750	49750	Purchase price.	
$\triangle\% \triangle$	13.57	% change in price (increase).	
EX	6750.	Amount of change (increase).	

E	3)		
	30000	30000	Current value.
	AMT	30000.	
	49750	49750	Purchase price.
	$\triangle\%\Delta$	-39.7	% change in price (decrease).
	EX	-19750	Amount of change (decrease),

Example: If you buy goods for \$8,000 and sell them for \$12,000, what is the percentage and amount of your net profit?

KEY IN	DISPLAY SHOWS	COMMENTS
12000	12000	Gross profit.
AMT	12000.	Enter amount.
8000	8000	Cost of goods.
$\triangle\%\triangle$	50.	Percentage profit.
EX	4000.	Net profit.

## Sum-of-Digits Depreciation

SOD

Computes sum-of-digits depreciation and book value given the amount to be depreclated and number of periods of

depreciation. Depreciation is displayed, book value is stored in a special memory. To display book value after depreciation has been calculated, touch [EX.]

Example: Find the depreciation and book value for each year on an item with an initial cost of \$3500 and a salvage value at the end of eight years of \$675.

KEY IN	DISPLAY SHOWS	COMMENTS
3500	3500	Initial cost.
$\pm$	3500.	
675	675	Salvage value.

	2825.	Amount to be depreciated.
8	8	Number of periods (in years).
n	8.	
SOD	627.78	First year depreciation.
EX	2197.22	Book value after one year.
SOD	549.31	Second year depreciation.
EX	1647.91	Book value after two years.
SOD	470.83	Third year depreciation.
EX	1177.08	Book value after three years.
SOD	392.36	Fourth year depreciation.
EX	784.72	Book value after four years.
SOD	313.89	Fifth year depreciation.
EX	470.83	Book value after five years.
SOD	235.42	Sixth year depreciation.
EX	235.41	Book value after six years.
SOD	156.94	Seventh year depreciation.
EX	78.47	Book value after seven years.
SOD	78,47	Eighth year depreciation.
EX	0.	Asset has been fully depreciated.

#### Discounted Notes and Loan Rebates

Example: Discounted note and loan rebate using the rule of 78's. A businessman has taken a note for \$20,000 at an annual percentage rate of 11% to be repaid in eight months. If the interest is discounted (taken in advance), what is the discount amount, the proceeds of the loan and effective annual yield?

KEY IN	DISPLAY SHOWS	COMMENTS	
MR/MC	0,	Clear memory.	
20000	20000	Amount of Ioan.	
M	20000.	Add to memory.	11

$\ge$	20000.	
8	8	Number of months.
÷	160000.	Interest is computed on
12	12	$\int$ a monthly basis.
$\boxtimes$	13333.333	
11	11	Annual percentage rate.
%	1466.67	Amount of discount.
÷	1466.67	Set up to yield effective annual yield.
CHS	-1466.67	annuar yreid.
M+	-1466.67	Subtract from amount of loan in memory to get amount of proceed.
MR/MC	18533.33	Amount of proceed.
%	7.91	Effective annual yield.

If the loan were repaid after three months, what is the amount of interest accrued on the loan and the amount of rebate using the rule of 78's?

KEY IN	DISPLAY SHOWS	COMMENTS
CE/C	0	
8	8	Number of months of loan.
n	8.	
1466.67	1466.67	Discount amount.
+	1466.67	
SOD	325.93	Interest accrued during first month.
EX	1140.74	Remaining interest.
SOD	285.19	Interest accrued during second month.
EX	855.55	Remaining interest.
SOD	244.44	Interest accrued during third month.
EX 12	611.11	Remaining interest (amount of rebate).
• +		

## Present Value and Payment on Loans

Present Value of Annuity With AMT, %i and n entered, touching Ioan computes the amount that can be loaned (present value, Ioan PV) if a periodic payment AMT is made over a number of periods n at an interest rate %i per period.

Example: How much can you borrow from a bank that charges 9% interest compounded monthly if you can afford to pay:

A) \$125 per month for three years?

and a second second

- B) \$125 per month for four years?
- C) \$120 per month for four years?

	•	-
A) KEY IN	DISPLAY SHOWS	COMMENTS
9	9	Annual percentage rate.
CHS	-9	Compute and store
%i	.0075	$\int$ monthly interest rate.
3	3	Number of years.
CHS	-3	Compute and store
п	36.	$\int$ number of months.
125	125	Payment per month.
AMT	125.	
Ioan	3930.85	Amount that can be borrowed.
B)		
4	4	New number of periods.
CHS	-4	
n	48.	
loan	5023.1	Amount that can be borrowed,
C)		Allount indi can be bonowed.
120	120	
AMT	120.	New payment per month.
loan	4822.17	Amount that can be borrowed.

Example: A woman has just received an inheritance. Under the terms of the will, she has two choices: 1. She can receive payments of \$2000 a year for 20 years. 2. She can receive a lump sum of \$21,000 now. Assuming that money is worth 8% annually, which alternative should the woman choose?

KEY IN	DISPLAY SHOWS	COMMENTS
2000	2000	Payment per year.
AMT	2000.	
8	8	
%i	.08	Interest per period (in years).
20	20	
n	20.	Number of periods (in years).
loan	19636.3	Present value of annuity.
$\square$	-19636.3	
21000	21000	Lump sum payment.
$\pm$	1363.7	Difference between two choices.

Clearly, alternative 2 is the best choice.

#### Payments on Loans

With AMT, %i and n entered, touching CHS loan computes the periodic payment ( loan PMT ) required to support a loan of AMT at an interest rate per period %i over a number of periods n.

**Example:** If you borrow \$5250 to be repaid in 10 equal monthly installments from a bank charging an annual interest rate of 11.5% compounded monthly, how much are your monthly payments?

KEY IN	DISPLAY SHOWS	COMMENTS
5250	5250	Amount of tean.
AMT	5250.	
10	10	Number of periods.

	10.	
11.5	11.5	Annual percentage rate.
CHS	-11.5	Compute and store
%i	.00958333	Compute and store monthly interest rate.
CHS loan	553.07	Monthly payment.

Example: A \$5000 loan is to be repaid in equal monthly installments over five years. How much is each payment if:

A) The annual percentage rate is 18%? B) The annual percentage rate is 12%? A) DISPLAY SHOWS COMMENTS KEY IN 18 Annual percentage rate. 18 CHS -18 Compute and store monthly interest rate. %i .015 5 5 Number of years. CHS -5 Compute and store number of months. n 60. 5000 5000 Amount of loan. AMT 5000. CHS loan 126.97 Monthly payment. B) 12 12 New annual percentage rate. CHS -12 %1 .01

#### 111.22 Monthly payment.

and most constant with proper the property of the property of

CHS loan

## Future Value and Payment on Savings

Future Value of Savings

With <u>AMT</u>, <u>%i</u> and <u>n</u> entered, touching <u>svgs</u> computes the amount of future value (svgs FV) if <u>AMT</u> is deposited periodically for <u>n</u> periods at an interest rate per period <u>%i</u>.

Example: If \$100 is deposited into a savings account each month and the interest paid is compounded monthly, how much is the account worth after:

A) Six years at 7.5% annual percentage rate?

B) Nine years at 4.75% annual percentage rate? A)

KEY IN	DISPLAY SHOWS	COMMENTS
7.5	7.5	Annual percentage rate.
CHS %i	-7.5 .00625	Compute and store monthly interest rate.
6	6	Number of years.
CHS	6	Compute and store
n	72.	$\int$ number of months.
100	100	Monthly payment.
AMT	100.	
svgs	9057.88	Future value of account.
B)		
9	9	New number of years.
CHS	-9	
n	108.	
4.75	4.75	New annual percentage rate.
CHS	-4.75	
%i	.00395833	
svgs	13443.17	Future value of account.

#### Payment on Savings

With AMT, %1 and n entered, touching CHS svgs computes the periodic amount to be deposited in a savings account (svgs PMT) for n periods at an interest rate %1 to accumulate the desired amount AMT.

Example: A savings account is paying 5.5% per year. How much must be deposited periodically to grow to \$15,000 in five years if:

- A) Money is deposited and compounded monthly?
- B) Money is deposited and compounded quarterly?

A)	,	
KEY IN	DISPLAY SHOWS	COMMENTS
5.5	5.5	Annual percentage rate.
CHS	-5.5	Compute and store
%i	.00458333	$\int$ monthly interest rate.
5	5	Number of years.
CHS	-5	Compute and store
n	60.	∫ number of months.
15000	15000	Desired future value of account.
AMT	15000.	
CHS sv	gs 217.77	Monthly payment.

	B)			A) Key in	DISPLAY SHOWS	COMMENTS
	5.5	5.5	Annual percentage rate.	9	9	Number of years.
	÷.	5.5				Number of years.
	4	4	Number of quarters.	CHS	-9	Compute and store number of months.
		1.38	Quarterly interest rate.	[n]	108	) namber er menate.
and and	<u>%i</u>	.0138		5.25	5.25	Annual percentage rate.
a series	5	5	Number of years.	CHS	~5.25	Compute and store
3	$\boxtimes$	5.		%i	.004375	∫ monthly percentage rate.
	4	4		2500	2500	Amount deposited.
r I	-	20.	Number of quarters.	AMT	2500.	
		20.	Number et quitterer	int	4005.87	Future value.
1	n		<b>-</b>	B)		
	15000	15000	Desired future value of account.	3000	3000	New amount deposited.
	AMT	150000.		AMT	3000.	
	CHS svgs	656.39	Quarterly payment.	int	4807.04	Future value.
	Сог	npound l	Interest Calculations	C)		·
				5	5	New annual interest rate.
	Future Value with Compound Interest With AMT, % and n entered, touching int		CHS	-5		
	computes the future value ( int FV ) of an amount		%1	.00416666		
	AMT deposited now, compounded over n periods at an interest rate per period %1.		10	10	New number of years.	
			CHS	-10		
	Example: Find the future value of a savings account on which interest is compounded monthly if you left:			120		
	A) \$2500 in the account for nine years at 5.25%.		[int]	4941.02	Future value.	
	B) \$3000 in the account for nine years at 5.25%.		harmon and special			

C) \$3000 in the account for ten years at 5%.

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Present Value with Compound Interest With AMT, %i and n entered, touching CHS int computes the present value ( int PV ), the amount AMT if the present value is compounded over n periods at an interest rate per period %i.

Example: A bank pays 4.5% per year compounded monthly. Find the amount that must be deposited now to grow to:

A) \$5,000 after seven years.

B) \$10,000 after seven years.

C) \$10,000 after seven and one-half years.

A)			
KEY IN	DISPLAY SHOWS	COMMENTS	
7	7	Number of years.	
CHS	-7	Compute and store	
n	84	$\int$ number of months.	
4.5	4.5	Annual percentage rate.	
CHS	~4.5	Compute and store	
%i	.00375	f monthly percentage rate.	
5000	5000	Desired future value.	
AMT	5000.		
CHS in	t 3651.1	Present value (amount to be deposited).	
B)			
10000	10000	New desired future value.	
AMT	10000.		
CHS in	7302.19	Present value (amount to be deposited).	
C)			
7.5	7.5	New annual percentage rate.	
CHS	-7.5		
%i	.00625		
CHS in	5925.23	Present value (amount to be deposited).	
16		oo oopvonvoji	

## Financial Equations Used

Your Financier uses the following equations for single-key financial calculations.

Appendix

With n, amt, and %i entered:

Touching loan computes the present value of an annuity using the equation:

$$PV = \frac{1 - (1 + i)^{-n}}{i} \times amt$$

Touching CHS loan computes the payment to a loan using the equation:

Payment 
$$=$$
  $\frac{1}{1 - (1 + i)^{-n}} \times \text{amt}$ 

Touching svgs computes the future value of an annuity using the equation:

$$FV = \frac{(1+i)^n - 1}{i} \times amt$$

Touching CHS sygs computes a sinking fund deposit using the equation:

Payment = amt 
$$\times \frac{1}{(1+i)^n - 1}$$

Touching [int] computes the future value of a lump sum using the equation:

$$FV = amt \times (1 + i)^n$$

Touching CHS[int] computes the present value of a lump sum using the equation:

$$PV = \frac{amt}{(1+i)^n}$$

#### **Other Products**

Other "professional" calculators from NOVUS ...

- 4510 NOVUS Mathematician
  - The Electronic Slide Rule
  - Trig and inverse trig functions—
  - · Common and natural logs and anti-logs----
  - Fully addressable, accumulating memory
- 4515 NOVUS Mathematician P.R.
  - The Programmable Electronic Slide Rule
  - Same features as 4510
  - 100 step programming capability

6010 • NOVUS International Computer

- The Electronic Measurement Converter
- More than 65 international measurement conversions
- · Fully addressable, accumulating memory
- · Total calculating capability with live percent

6025 • NOVUS Financier P.R.

- The Programmable Electronic Financial Calculator
- Same features as 6020
- 100 step programming capability

6030 • NOVUS Statistician

- The Electronic Statistical Calculator
- · Dedicated to solving statistical calculations
- Pre-programmed statistical equations
- Fully addressable, accumulating memory

6035 • NOVUS Statistician P.R.

- The Programmable Statistical Calculator
- · Same features as 6030
- 100 step programming capability
- For further information see your dealer or write: NOVUS CUSTOMER RELATIONS DEPT.

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## **Consumer Warranty**

#### NOVUS Model 6020

NOVUS, the consumer products division of National Semiconductor Corporation, is proud to guarantee your electronic calculator to be free from defects in workmanship and materials for a period of one year from the date of your purchase. Defects caused by abuse, accidents, modifications, negligence, misuse or other causes beyond the control of NOVUS are, of course, not covered by this warranty, nor are batteries. Should the calculator prove defective within 30 days of purchase. NOVUS will repair or, at its discretion. replace it free of charge. If the defect occurs after 30 days from date of purchase, a charge of \$3.50 will be made for handling and insurance. If your calculator becomes defective after the one-year period, NOVUS will make repairs for a nominal charge of \$17.50. Simply mail it prepaid and insured with your check or money order to the nearest NOVUS service center. Repair prices are subject to change without notice. Please do not send or include cash. Make your check or money order payable to NOVUS. Upon receipt, your calculator will be promptly serviced and returned to you freight prepaid.

## Consumer Warranty Registration Certificate

Please put your warranty into effect by completing this form and mailing it within 10 days from date of purchase to the NOVUS service center in your area.

#### Model Number 6020

Serial Number	
(month/day/year)	
Address	
City, State, Zip	
Your Name	
Your Address	
City, State, Zip	

## **Optional Information**

Was this calculator purchased for:

Gift Personal use

What is your occupation?

Student or Teacher Professional

Engineering or Scientific Statistical fields

Other occupation

What is your age group?

Under 18 🗍 18-34 🗍 35-49 🗍 50-over

Where will you most use your NOVUS calculator?

At home At school At work

During travel

Where did you learn about the NOVUS calculators?

Magazine
 Newspaper
 Television
 Radio
 Mail
 Store salesman
 Friend

Other\_\_\_\_\_

What most attracted you to your NOVUS calculator?

Appearance Size Reputation

Price Features and capabilities.

# Warranty Information

For Your Records

NOVUS Warranty Certificate Please retain for your records. See insert for trouble-shooting tips and product service locations.

Model Number

Serial Number\_\_\_\_\_

Purchased from\_\_\_\_\_

Date purchased\_\_\_\_\_

