



# Statistician Micro Program

## STANDARD DEVIATION, "n" FORMULA

The keytop function for computing the standard deviation on the Micro-Statistician is based on the "n - 1" formula. When the "n" formulation is desired, this program may be used.

$$SD_n = \sqrt{\frac{\sum X^2 - \frac{(\sum X)^2}{N}}{N}}$$

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# STANDARD DEVIATION, "n" FORMULA

EXAMPLE: Calculate  $SD_n$  for 6, 3, 5, 4, 7 and 1.

1.

2. Enter  $X_1$ , . Continue step 2 for all  $X_i$ .

3. Load program from facing page

4. Read  $SD_n = 1.972$

## NEXT PROBLEM:

1.

2. Enter  $X_1$ , . Repeat step 2 for all  $X_i$ .

3. , read  $SD_n$

1	SD MEAN	21	41	61
2		22	42	62
3		23	43	63
4		24	44	64
5		25	45	65
6	1	26	46	66
7		27	47	67
8	1	28	48	68
9		29	49	69
10		30	50	70
11	NCL	31	51	71
12	1	32	52	72
13		33	53	73
14		34	54	74
15	START STOP	35	55	75
16	RUN	36	56	76
17	LOAD	37	57	77
18		38	58	78
19		39	59	79
20		40	60	80



# Statistician Micro Program

## LEAST SQUARES FIT TO AN EXPONENTIAL CURVE

This program determines the Pearson correlation coefficient and the least squares fit for data in the form of an exponential curve where:

$$Y = be^{mX}$$

Output from the program includes the coefficients necessary for calculating the equation of the line.

EXAMPLE: Obtain r, m and b for:

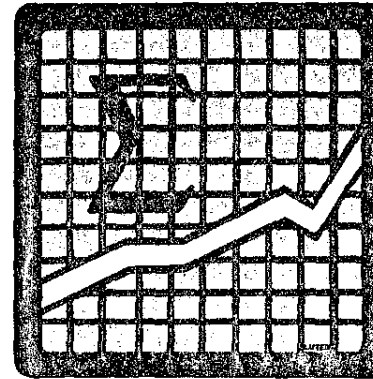
X	0.68	1.2	1.8	2.64
Y	2.3	1.65	1.35	0.85

- 1.
2. Load program from facing page, entering the first X and Y at steps 2 and 5, respectively
- 3.
4. Enter next X,
5. Enter next Y, . Continue steps 4 and 5 for all X, Y pairs
6. , read Pearson "r" = -0.995
7. , read m = -0.491
8. , read b = 3.142

NEXT PROBLEM:

- 1.
2. Enter an X,
3. Enter a Y, . Repeat steps 2 and 3 for all X, Y pairs
4. , read Pearson "r"
5. , read m
6. , read b. Return to step 1 for next problem.

1	1	21	41	61
2	START STOP	22	42	62
3	2ND FUNC	23	43	63
4	2	24	44	64
5	START STOP	25	45	65
6	2ND FUNC	26	46	66
7	XY	27	47	67
8	2ND FUNC	28	48	68
9	Ln LOG	29	49	69
10	=	30	50	70
11		31	51	71
12		32	52	72
13		33	53	73
14		34	54	74
15		35	55	75
16		36	56	76
17		37	57	77
18		38	58	78
19		39	59	79
20		40	60	80



# Statistician Micro Program

## FACTORIAL OF N, N!

The following program evaluates the factorial of N,  
where:

$$N! = N(N - 1)(N - 2)(N - 3) \cdot \cdot \cdot 1, \quad \text{and} \quad 1 \leq N \leq 69$$

The limit of N! where N cannot exceed 69 is due to an  
overflow condition (the number exceeds  $1 \times 10^{98}$ ).

### N FACTORIAL

Example: Compute  $N!$  for  $N = 5$ .

- Load program from facing page.
- , enter  $N$ ,
- When E - - - - appears in the display,
   

 , read  $N! = 120$

Next Problem:

- , enter  $N$ ,
- When E - - - - appears in the display,
   

 , read  $N!$

### Program Steps N FACTORIAL

1	ST 0	21	41	61
2		22	42	62
3	2	23	43	63
4	1	24	44	64
5	ST 0	25	45	65
6		26	46	66
7	1	27	47	67
8	RCL 0	28	48	68
9	1	29	49	69
10		30	50	70
11		31	51	71
12	RCL 0	32	52	72
13	1	33	53	73
14	RUN	34	54	74
15	LOAD	35	55	75
16		36	56	76
17		37	57	77
18		38	58	78
19		39	59	79
20		40	60	80



# Statistician Micro Program

## STANDARD ERROR OF THE MEAN

This program calculates the standard error of the mean ( $S_{\bar{X}}$ )

where:

$$S_{\bar{X}} = \frac{SD}{\sqrt{N}}$$

and where

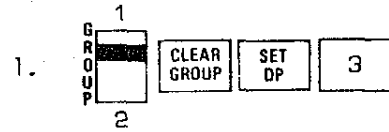
$$SD = \sqrt{\frac{\sum X^2 - \frac{(\sum X)^2}{N}}{N - 1}}$$


While this program is so brief that it can easily be executed on the keyboard, it is included as a program to demonstrate the ease of using the programming capacity of the 342 Statistician.

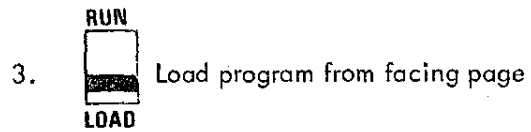
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# STANDARD ERROR OF THE MEAN

**EXAMPLE:** Compute  $S_{\bar{X}}$  for 19, 23, 41, 10, 15, 28, 14.

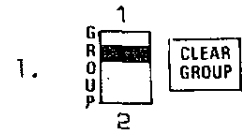



2. Enter  $X_1$ ,   
Continue step 2 for all  $X_i$






4. Read  $S_{\bar{X}} = 3.969$

**NEXT PROBLEM:**

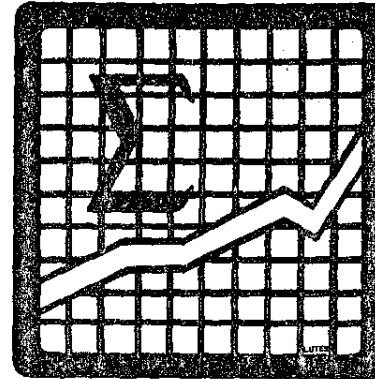


2. Enter  $X_i$ , . Repeat step for for all  $X_i$

3. , read  $S_{\bar{X}}$

1	SD MEAN	21	41	81
2		22	42	62
3		23	43	63
4	1	24	44	64
5	$\sqrt{\quad}$	25	45	65
6		26	46	66
7	START STOP	27	47	67
8	RUN	28	48	68
9	LOAD	29	49	69
10		30	50	70
11		31	51	71
12		32	52	72
13		33	53	73
14		34	54	74
15		35	55	75
16		36	56	76
17		37	57	77
18		38	58	78
19		39	59	79
20		40	60	80





# Statistician Micro Program

## GEOMETRIC MEAN

The calculation of the geometric mean is based on the formula:

$$M_G = \sqrt[n]{(X_1)(X_2) \cdots (X_n)}$$

NOTE:  $X_i = 0$  will result in  $M_G = 0$ , and any negative  $X_i$  will lead to an error condition when the product under the radical results in a negative value.

**EXAMPLE:** To calculate  $M_G$  for the following data:  
 (15, 12, 17, 10, 15, 9) ,  $n = 6$

1. RESET SET DP 3 0.000
2. Enter  $X_1$  (15) 15.000
3. Press × repeat steps 2 and 3 for all  $X_i$  except for the last one ( $X_n$ ) 15.000
4. Enter  $X_n$  (9)
5. Press =
6. RUN  
LOAD Load program from facing page.

Display now reads: 12.667

**NEXT PROBLEM:**

1. Enter  $X_1$ , ×, repeat for all  $X_i$  except last one
2. Enter  $X_n$ , =, START STOP 1.
3. Enter  $n$ , START STOP

The display now contains  $M_G$

For next problem, return to step 1.

1	<span style="border: 1px solid black; padding: 2px;">A</span>	21		41		61	
2	<span style="border: 1px solid black; padding: 2px;">SET DP</span>	22		42		62	
3	<span style="border: 1px solid black; padding: 2px;">0</span>	23		43		63	
4	<span style="border: 1px solid black; padding: 2px;">1</span>	24		44		64	
5	<span style="border: 1px solid black; padding: 2px;">START STOP</span> Enter n	25		45		65	
6	<span style="border: 1px solid black; padding: 2px;">1/x</span>	26		46		66	
7	<span style="border: 1px solid black; padding: 2px;">=</span>	27		47		67	
8	<span style="border: 1px solid black; padding: 2px;">SET DP</span>	28		48		68	
9	<span style="border: 1px solid black; padding: 2px;">3</span>	29		49		69	
10	<span style="border: 1px solid black; padding: 2px;">START STOP</span> Read $M_G$	30		50		70	
11		31		51		71	
12		32		52		72	
13		33		53		73	
14		34		54		74	
15		35		55		75	
16		36		56		76	
17		37		57		77	
18		38		58		78	
19		39		59		79	
20		40		60		80	



# Statistician Micro Program

## HARMONIC MEAN - H

The harmonic mean is the reciprocal of the arithmetic mean of the reciprocals of the data items.

$$H = \frac{N}{\sum \frac{1}{X_i}}$$










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


## HARMONIC MEAN









### EXAMPLE:

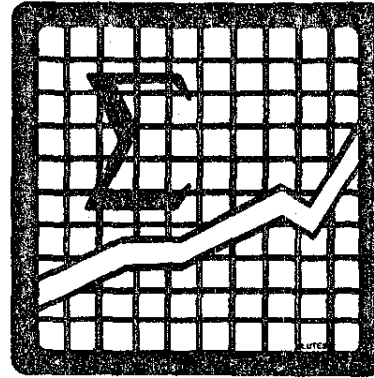
To calculate the harmonic mean of 12, 15, 10 and 14.

1.      0.000
2. Enter  $X_1$  (12) 12.000
3.   0.083  
Repeat steps 2 and 3 for all data items
4.  Load program from facing page  
  
Harmonic Mean is displayed 12.444

### NEXT PROBLEM:

1.  0.000
2. Enter  $X_i$
3.    
Repeat steps 2 and 3 for all  $X_i$
4. , and the display contains the harmonic mean

1		21		41		61	
2		22		42		62	
3		23		43		63	
4		24		44		64	
5		25		45		65	
6		26		46		66	
7		27		47		67	
8		28		48		68	
9		29		49		69	
10		30		50		70	
11		31		51		71	
12		32		52		72	
13		33		53		73	
14		34		54		74	
15		35		55		75	
16		36		56		76	
17		37		57		77	
18		38		58		78	
19		39		59		79	
20		40		60		80	



# Statistician Micro Program

## LEAST SQUARES FIT TO A POWER CURVE

This program determines the Pearson correlation coefficient ( $r$ ) and the least squares fit for data in the form of a power curve

where

$$Y = bX^m$$

where

$$X \text{ and } Y > 0.0$$

Output from the program includes the coefficients necessary for calculating the equation of the line,  $m$  and  $b$ .

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EXAMPLE: Obtain r, m and b for:

X	1	2.1	2.95	4.05
Y	3.1	4.26	5.22	6.05

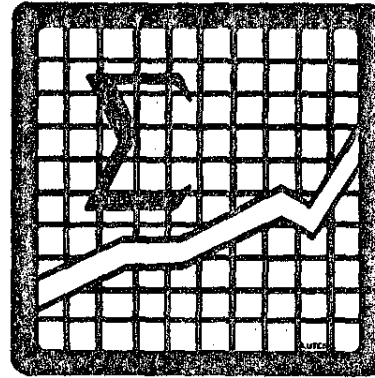
1. 1
2. Load program from facing page, entering the first X and Y at steps 2 and 6, respectively.
3.
4. Enter next X,
5. Enter next Y,

Continue steps 4 and 5 for all X, Y pairs.
6. , read Pearson "r" = 0.997
7. , read m = 0.4812
8. , read b = 3.0667

NEXT PROBLEM:

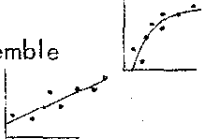
1. 1
2. Enter an X,
3. Enter a Y, . Repeat steps 2 and 3 for all X, Y pairs.
4. , read Pearson "r"
5. , read m
6. , read b. Return to step 1 for next problem.

1		21		81
2	Enter X	22		62
3		23		63
4		24		64
5		25		65
6	Enter Y	26		66
7		27		67
8		28		68
9		29		69
10		30		70
11		31		71
12		32		72
13		33		73
14		34		74
15		35		75
16		36		76
17		37		77
18		38		78
19		39		79
20		40		80



# Statistician Micro Program

## LOGARITHMIC CURVE FITTING (Probit Analysis)

When the data points on a Cartesian plot resemble  
instead of being in a "straight" pattern like   
a better "fit" of the data can often be achieved by transforming  
the "X" values to their logarithmic equivalents.

$Y_{est} = mX_{\log_{10}} + b$ , and the Pearson correlation coefficient  
will be based on the transformed X values.

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**EXAMPLE:** To calculate  $r$ ,  $m$  and  $b$  on the following data, with  $X$  values changed to  $\log_{10}$ .

X	1	5	10	15	20	25
Y	1	12	18	22	24	25

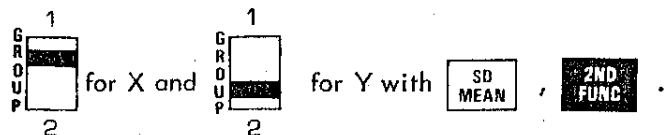
1. **RESET** **CLEAR GROUP** **XY**  
**RUN**
2. **LOAD** Load program from facing page, entering the first  $X$  and  $Y$  at steps 2 and 5 respectively.
3. **START STOP**
4. Enter  $X$ , **START STOP**; enter  $Y$ , **START STOP**. Continue step 4 for all  $X, Y$  pairs
5. **LIN REG**, read Pearson " $r$ " = 0.9978  
**2ND FUNC**, read  $m$  = 17.6641; **0** **LINE**, read  $b$  = 0.5899.

**NEXT PROBLEM:**

1. **CLEAR GROUP** **XY**
2. Enter  $X$ , **START STOP**; enter  $Y$ , **START STOP**. Continue step 2 for all  $X, Y$  pairs. (Enter  $X$  when "1" is displayed; enter  $Y$  when "2" is displayed.)
3. **LIN REG**, read " $r$ "; **2ND FUNC**, read  $m$ ; **0** **LINE**, read  $b$ . Return to step 1 for new data.

NOTE 1: No  $X$  may be less than 1.

NOTE 2: Means of  $X_{\log}$  and of  $Y$  may be obtained after step 3 by using:



To calculate line

Enter  $X$  **LIN REG** **2ND** **LINE**  $\rightarrow Y_{(est)}$

1	1	21	41	61
2	<b>START STOP</b>	22	42	62
3	<b>Ln LOG</b>	23	43	63
4	2	24	44	64
5	<b>START STOP</b>	25	45	65
6	<b>2ND FUNC</b>	26	46	66
7	<b>XY</b>	27	47	67
8	<b>2ND FUNC</b>	28	48	68
9	<b>=</b>	29	49	69
10	<b>RUN</b>	30	50	70
11	<b>LOAD</b>	31	51	71
12		32	52	72
13		33	53	73
14		34	54	74
15		35	55	75
16		36	56	76
17		37	57	77
18		38	58	78
19		39	59	79
20		40	60	80





# Statistician Micro Program

## COEFFICIENT OF MULTIPLE CORRELATION

The multiple correlation coefficient may be used to determine the relationship that two sets of numbers (the "independent" variables) have with another set (the "dependent" variable).

$$R_{1,23} = \sqrt{\frac{r_{12}^2 + r_{13}^2 - 2r_{12}r_{13}r_{23}}{1 - r_{23}^2}}$$

The program assumes that the 3 pairwise correlations ( $r_{12}$ ,  $r_{13}$ ,  $r_{23}$ ) have already been computed.


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# COEFFICIENT OF MULTIPLE CORRELATION





## EXAMPLE

Compute  $R_{1.23}$  when  $r_{12} = 0.48$ ,  $r_{13} = 0.73$ ,  $r_{23} = 0.37$

**RUN**

1.  Load program from facing page, entering  $r_{12}$ ,  $r_{13}$ , and  $r_{23}$  at steps 4, 9 and 14, respectively.
2. The display now reads  $R_{1.23} = 0.764$

## NEXT PROBLEM

1.  , display reads "1.0", enter  $r_{12}$
2.  , display reads "2.0", enter  $r_{13}$
3.  , display reads "3.0", enter  $r_{23}$
4.  , display reads answer =  $R_{1.23}$



























Return to step 1 for next problem.

To calculate  $R_{2.13}$ , enter the pairwise correlations as follows:

First  $r_{12}$ ; Second  $r_{23}$ ; Third  $r_{13}$ .

For  $r_{3.12}$ , enter as follows:

First  $r_{13}$ ; Second  $r_{23}$ ; Third  $r_{12}$ .

Program Steps		COEFFICIENT OF MULTIPLE CORRELATION				
1	2	21	RCL	41	2ND FUNC	61
2		22	1	42		62
3	1	23		43	$\frac{1}{x}$	63
4	 Enter $r_{12}$	24		44	$\sqrt{\quad}$	64
5		25		45	 Read $R_{1.23}$	65
6	1	26		46	<b>RUN</b>	66
7		27	RCL	47	<b>LOAD</b>	67
8	2	28	2	48		68
9	 Enter $r_{13}$	29		49		69
10		30		50		70
11	2	31		51		71
12		32	2ND FUNC	52		72
13	3	33	1	53		73
14	 Enter $r_{23}$	34		54		74
15		35		55		75
16	3	36	RCL	56		76
17		37	3	57		77
18	CHG SIGN	38		58		78
19		39		59		79
20		40		60		80



# Statistician Micro Program

## COEFFICIENT OF PARTIAL CORRELATION

The partial correlation coefficient expresses the degree of relationship between 2 variables when the effect of a third variable is removed.

$$r_{12.3} = \frac{r_{12} - r_{13}r_{23}}{\sqrt{1 - r_{13}^2} \sqrt{1 - r_{23}^2}}$$

Here, the effect of variable 3 is removed while determining the relationship of variables 1 and 2.


The program assumes that the 3 pairwise correlations ( $r_{12}$ ,  $r_{13}$ ,  $r_{23}$ ) have already been computed.

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# COEFFICIENT OF PARTIAL CORRELATION

## EXAMPLE

Compute  $r_{12.3}$  when  $r_{12} = 0.36$ ,  $r_{13} = 0.41$  and  $r_{23} = 0.14$ .

-  Load program from facing page, entering  $r_{12}$ ,  $r_{13}$  and  $r_{23}$  at steps 2, 6 and 11 respectively.
- The display now reads  $r_{12.3} = 0.335$

## NEXT PROBLEM

- , display reads "1.0", enter  $r_{12}$
- , display reads "2.0", enter  $r_{13}$
- , display reads "3.0", enter  $r_{23}$
- , display reads answer  $-r_{12.3}$

Return to step 1 for next problem.

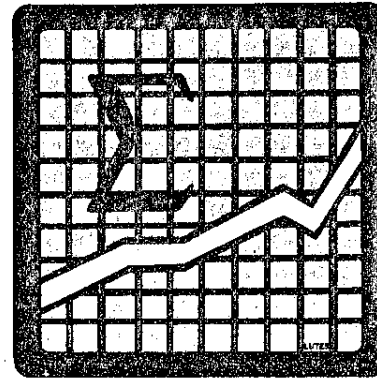
To calculate  $r_{13.2}$ , enter the pairwise correlations as follows:

First  $r_{13}$ ; Second  $r_{12}$ ; Third  $r_{23}$ .

To calculate  $r_{23.1}$ :

First  $r_{23}$ ; Second  $r_{12}$ ; Third  $r_{13}$ .

1	1	21	2	41	RUN	61
2	START STOP	Enter $r_{12}$	X	42	LOAD	62
3	-	23	-	43		63
4	-	24	X	44		64
5	2	25	-	45		65
6	START STOP	Enter $r_{13}$	1	46		66
7	START STOP	-	-	47		67
8	2	28	-	48		68
9	X	29	RCL	49		69
10	3	30	3	50		70
11	START STOP	Enter $r_{23}$	-	51		71
12	START STOP	-	-	52		72
13	3	33	-	53		73
14	-	34	=	54		74
15	=	35	√	55		75
16	2ND FUNC	36	2ND FUNC	56		76
17	1	37	-	57		77
18	-	38	2ND FUNC	58		78
19	-	39	=	59		79
20	RCL	40	START STOP	Read $r_{12.3}$	60	80



# Statistician Micro Program

$n^{\text{th}}$  ROOT OF X

Any root of a number can be obtained by:

$$\Delta = \sqrt[n]{X}$$

which, for purposes of calculation, can be rewritten as:

$$\Delta = X^{1/n}$$

NOTE:  $X \geq 0$   
 $n > 0$

While this program is so brief that it can easily be executed on the keyboard, it is included as a program to demonstrate the ease of using the programming capacity of the 342 Statistician.

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$n^{\text{th}}$  ROOT OF X

EXAMPLE: Obtain the cube root of 27:

$$\Delta = \sqrt[3]{27} = 27^{1/3}$$

1. 

RESET	SET DP	3
-------	--------	---

 0.000
2. 

RUN
LOAD

 Load program from facing page.  
 Display now contains  $\Delta$  3.000

NEXT PROBLEM:

1. 

START	STOP
-------	------

 1.000
2. Enter X
3. 

START	STOP
-------	------

 2.000
4. Enter n
5. 

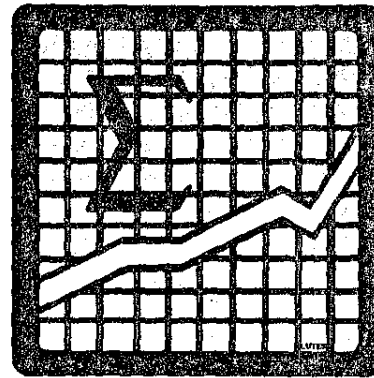
START	STOP
-------	------

 , display contains  $\Delta$ .

Return to step 1 for next problem.

NOTE: This solution may at times appear to give erroneous results (i.e. the cube root of 125 will yield 4.999 rather than 5.000). This error is actually less than 0.0000000001.

1	1	21		41		61	
2	START STOP	Enter X	22		42		62
3			23		43		63
4	2	24		44		64	
5	START STOP	Enter n	25		45		65
6	$\frac{1}{x}$	26		46		66	
7		27		47		67	
8	START STOP		28		48		68
9	RUN		29		49		69
10	LOAD		30		50		70
11		31		51		71	
12		32		52		72	
13		33		53		73	
14		34		54		74	
15		35		55		75	
16		36		56		76	
17		37		57		77	
18		38		58		78	
19		39		59		79	
20		40		60		80	



# Statistician Micro Program

## ANALYSIS OF VARIANCE, ONE FACTOR

This program computes the F ratio describing the variance components in a *one factor design*.

The program permits any number of levels (groups) and any number of data items at any level (equal or unequal cell sizes).

The output data is complete, and includes the Mean and SD for each level and the complete ANOVA table.

### Data for Example:

	DATA	SD	$\bar{X}$
Level 1	3, 5, 2, 4, 8	2.302	4.4
Level 2	4, 4, 3, 2	0.957	3.25
Level 3	6, 7, 8, 6, 7, 9	1.169	7.166

See *Statistics for Psychologists*, Hays (1963) for the formulas used in this problem.

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EXAMPLE: Compute F for the example data.

1. Load program from facing page through step 25.

2. , enter number of levels (3),

3. Enter X, , repeat step 3 for all X's in the level, then

4. , read SD, , read Mean,

5. Repeat steps 3 and 4 for all 3 levels

6. Carry out steps 31-72. DO NOT LOAD THESE

AS PROGRAM STEPS. Leave the program switch in the

position. Notice the output at steps 36, 44, 46, 58, 66, 68, and 72.

SOURCE	SS	df	MS	F
Within	30.783	12	2.565	.
Between	41.616	2	20.808	8.111

NEXT PROBLEM:

1. , enter number of levels,

2. Enter X, , repeat step 2 for all X's in the level, then

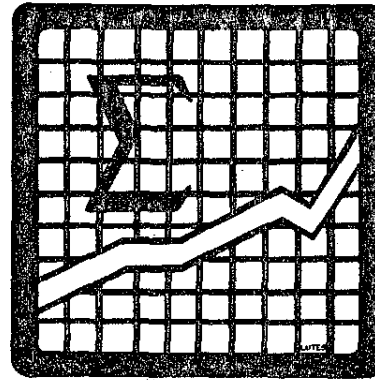
3. , read SD, , read Mean,

4. Carry out steps 31-72. Leave program switch in . Record the output for the ANOVA table at steps 36, 44, 46, 58, 66, 68, and 72.

Return to step 1 for the next problem.

Program Step	ONE OPERATION	Program Step	ONE OPERATION	
1	RCL	21	ST	
2	1	22	ST	
3	ST	23	6	
4	+	24	CLEAR GROUP	
5	4	25	START STOP	
6	RCL	RUN LOAD	46	= MS <sub>w</sub>
7	2		47	ST
8	ST		48	7
9	+		49	RCL
10	5		50	5
11	X		51	X
12	-		52	-
13	RCL		53	RCL
14	1		54	4
15	=		55	-
16	ST	56	= SS <sub>w</sub>	
17	+	57	0	
18	0	58	=	
19	RCL	59	CHG SIGN SS <sub>B</sub>	
20	3	60	-	
21	ST	61	RCL	
22	ST	62	RCL	
23	6	63	8	
24	CLEAR GROUP	64	RCL	
25	START STOP	65	1	
26	RCL	66	= df <sub>B</sub>	
27	ST	67	RCL	
28	+	68	= MS <sub>B</sub>	
29	RCL	69	-	
30	5	70	RCL	
31	RCL	71	7	
32	6	72	= F ratio	
33	-	73	RCL	
34	RCL	74	4	
35	0	75	-	
36	= SS <sub>w</sub>	76	RCL	
37	-	77	0	
38	1	78	=	
39	RCL	79	CHG SIGN SS <sub>B</sub>	
40	4	80	-	





# Statistician Micro Program

## POINT-BISERIAL CORRELATION ( $r_{pb}$ )

The point-biserial correlation is useful when the relationship between a dichotomous and a continuous variable is to be determined.

$$r_{pb} = \frac{\bar{Y}_1 - \bar{Y}_0}{S_Y} \sqrt{\frac{N_1 N_0}{N(N-1)}}$$

where:

$\bar{Y}_1$  = mean of Y's associated with 1

$\bar{Y}_0$  = mean of Y's associated with 0

$S_Y$  = standard deviation of all the Y's

$N = N_1 + N_0$  and

where:  $t = r_{pb} \sqrt{\frac{N-2}{1-r_{pb}^2}}$ ,  $df = N - 2$

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EXAMPLE: For the data

X	1	1	1	1	0	0	0	0
Y	104	92	101	111	82	76	85	95

1. CLEAR GROUP SET OP 3

2. Enter a  $Y_1$ : , and continue for all  $Y_1$

3. CLEAR GROUP

4. Enter a  $Y_0$ : , and continue for all  $Y_0$

5. Load program from facing page NOTE: Between steps 12 and 13, be sure to

For this data:  $\bar{Y}_0 = 84.5$ ,  $\bar{Y}_1 = 102$ ,  $S_Y = 11.877$ ,  $r_{pb} = 0.787$ ,  $t = 3.13$  (The "t" calculation indicates the significance of  $r_{pb}$ .)

NEXT PROBLEM:

1. CLEAR GROUP

2. Enter a  $Y_1$ : , and continue for all  $Y_1$

3. CLEAR GROUP

4. Enter a  $Y_0$ : , and continue for all  $Y_0$

5. , read  $\bar{Y}_0$  in display

6. , read  $\bar{Y}_1$

7. , read  $S_Y$

8. , read  $r_{pb}$

9. , read  $t$ , and return to step 1 for new data.

1	RCL	21	ST	41	-	61	1
2	1	22	+	42	1	62	-
3	X	23	1	43	X	63	2
4	RCL	24	RCL	44	RCL	64	RCL
5	4	25	5	45	1	65	-
6	-	26	ST	46	-	66	1
7	ST	27	+	47	RCL	67	-
8	7	28	2	48	7	68	1/x
9	SD MEAN	29	RCL	49	=	69	√
10	2ND FUNC	30	6	50	1/x	70	X
11	START STOP	read $Y_0$	31	ST	√	71	RCL
12	-	32	+	52	X	72	0
13	SD MEAN	33	3	53	RCL	73	=
14	2ND FUNC	34	SD MEAN	54	8	74	START STOP read t
15	START STOP	read $Y_1$	35	START STOP	read $S_Y$	55	=
16	=	36	=	56	START STOP	read $r_{pb}$	75
17	CHG SIGN	37	ST	57	ST	76	LOAD
18	-	38	8	58	0	77	
19	RCL	39	RCL	59	X	78	
20	4	40	1	60	-	79	
						80	



# Statistician Micro Program

## DATA TRANSFORMATION, SQUARE ROOT

It is often desirable to perform transformations on raw data, and then to consider the associated statistics. The transformation can be easily programmed. The following program treats a common transformation – The Square Root. Other procedures could be employed, using this program as a model.

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EXAMPLE: For the data: 105, 13, 29.3, 79.6, 51, find the SD and mean for both the raw data and its transform.

- GROUP 1

CLEAR GROUP **XY** SET DP 3
- RUN

LOAD Load program from facing page. Note: Change the group switch between steps 4 and 5.
- START STOP
- Enter next  $X_i$  **START STOP**. Repeat this step for all  $X_i$ .
- SD MEAN, read 2.658, the SD of the transformed data

**2ND FUNC**, read 7.065, the Mean of the transformed data
- GROUP 1

SD MEAN, read 37.228, the SD of the raw data

GROUP 2

**2ND FUNC**, read 55.580, the Mean of the raw data

NEXT PROBLEM:

- GROUP 1

CLEAR GROUP **XY**

GROUP 2
- Enter the data values, pressing **START STOP** after each
- GROUP 1

SD MEAN and **2ND FUNC** for SD and Mean of the transformed data

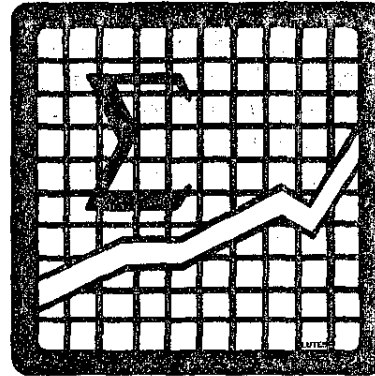
GROUP 2
- GROUP 1

SD MEAN and **2ND FUNC** for the SD and Mean of the raw data.

GROUP 2

Program steps SQUARE ROOT TRANSFORMATION

GROUP 1 GROUP 2	1	1	21	41	61	
	2	START STOP	Enter $X_1$	22	42	62
	3	<b>2ND FUNC</b>		23	43	63
	4	$\sqrt{\quad}$		24	44	64
	5	<b>2ND FUNC</b>		25	45	65
	6	RUN		26	46	66
	7	LOAD		27	47	67
	8			28	48	68
	9			29	49	69
	10			30	50	70
	11			31	51	71
	12			32	52	72
	13			33	53	73
	14			34	54	74
	15			35	55	75
	16			36	56	76
	17			37	57	77
	18			38	58	78
	19			39	59	79
	20			40	60	80



# Statistician Micro Program

## SPEARMAN'S RANK-ORDER CORRELATION ( $\rho$ )

An estimate of the relationship between two sets (X & Y) of ranked data can be obtained by calculating  $\rho$ .

$$\rho = 1 - \frac{6\sum D_i^2}{N^3 - N}, \quad D_i = X_i - Y_i$$

X = ranked data item

Y = ranked data item

N = number of data pairs

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EXAMPLE

To calculate rho when:

X	1	2	3	4	5	6
Y	2	3	1	5	4	6

- 
- Enter  $X_i$ , Enter  $Y_i$ , 
  
Repeat step 2 for all X, Y pairs
   
RUN
   
 Load program from facing page
   
LOAD
   
rho = 0.771

NEXT PROBLEM

- 
- Enter  $X_i$ , Enter  $Y_i$ , 
  
Repeat step 2 for all X, Y pairs
- , read rho in the display
   
For a new set of data, return to step 1.

Program Step	Display	Program Step	Display
1	RCL n	21	RUN
2	1	22	LOAD
3		23	
4	3	24	
5		25	
6	RCL n	26	
7	1	27	
8	=	28	
9	2ND FUNC	29	
10	RCL n	30	
11	3	31	
12	X	32	
13	6	33	
14	=	34	
15	2ND FUNC	35	
16		36	
17	1	37	
18	=	38	
19	CHG SIGN	39	
20	START STOP Read Rho	40	
		41	61
		42	62
		43	63
		44	64
		45	65
		46	66
		47	67
		48	68
		49	69
		50	70
		51	71
		52	72
		53	73
		54	74
		55	75
		56	76
		57	77
		58	78
		59	79
		60	80



# Statistician Micro Program

## t-TEST, SAMPLE VERSUS POPULATION MEAN

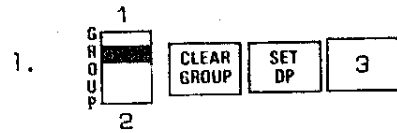
Given a population mean ( $\mu$ ), this program yields a value for  $t$  forming a comparison with the sample mean ( $\bar{X}$ ).

$$t = \frac{\bar{X} - \mu}{\sqrt{\frac{\sum X^2 - \frac{(\sum X)^2}{N}}{N(N-1)}}}$$
$$= \frac{\bar{X} - \mu}{SD/\sqrt{N}} = \frac{\bar{X} - \mu}{S_{\bar{X}}}$$

$$df = N - 1$$

t-TEST, SAMPLE VERSUS POPULATION MEAN

EXAMPLE: With  $\mu = 100$ , what is t for 98, 105, 107, 106, 100?



2. Enter  $X_i$ , . Repeat step 2 for all  $X_i$ .

3. Enter  $\mu$

4. Load program from facing page  
 t = 1.805 , df = 4

NEXT PROBLEM:

1.

2. Enter  $X_i$ , . Repeat step 2 for all  $X_i$ .

3. Enter  $\mu$ , , read t; , read df

4. , read SD; , read  $\bar{X}$ . Return to step 1 for next problem.

1	CHG SIGN	21	41	61
2	+	22	42	62
3	SD MEAN	23	43	63
4	2ND FUNC	24	44	64
5	×	25	45	65
6	RCL	26	46	66
7	1	27	47	67
8	√	28	48	68
9	-	29	49	69
10	2ND FUNC	30	50	70
11	=	31	51	71
12	START STOP	Read t	52	72
13	RCL	33	53	73
14	1	34	54	74
15	+	35	55	75
16	1	36	56	76
17	=	37	57	77
18	START STOP	Read df	58	78
19	RUN	39	59	79
20	LOAD	40	60	80